

# Freezing of spinor dynamics in an ultracold Bose gas via microwave dressing

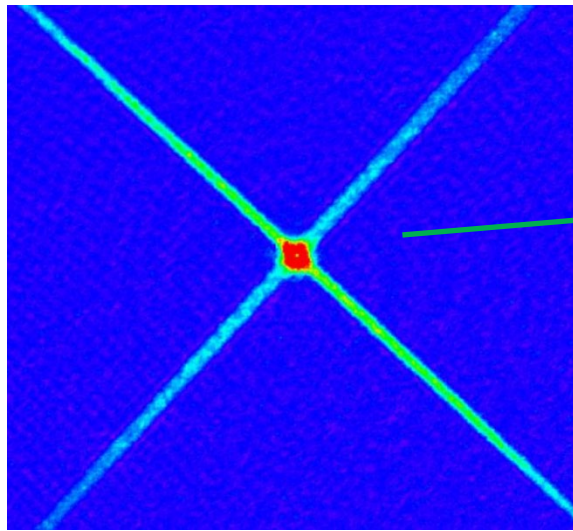
Zhifan Zhou<sup>1</sup>, Madison Anderson<sup>1</sup>, Don Fahey<sup>1</sup>, Jonathan Wrubel<sup>2</sup>, Paul Lett<sup>1</sup>

1. *Joint Quantum Institute, NIST and the University of Maryland*

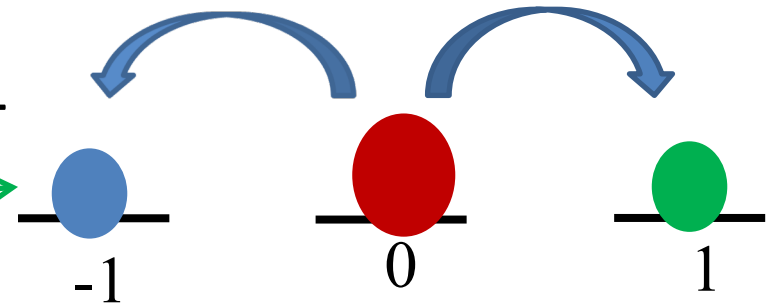
2. *Creighton University*



# Spinor dynamics in optical trap: introduction



$^{23}\text{Na}$ ,  $3S_{1/2}$ ,  $F=1$



$$\theta = \theta_+ + \theta_- - 2\theta_0$$

$$m = \rho_+ - \rho_-$$

External term

Collisional term

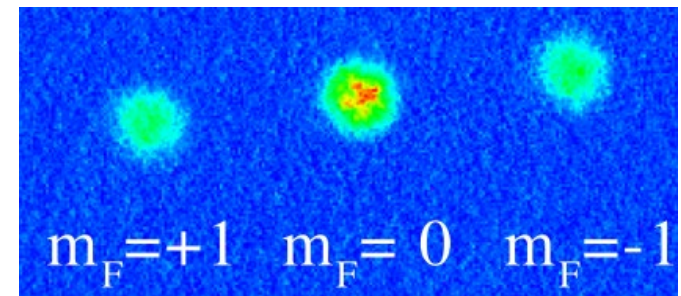
$$E = q(1 - \rho_0) + c\rho_0 \left[ (1 - \rho_0) + \sqrt{(1 - \rho_0)^2 - m^2 \cos\theta} \right]$$

$$c = c_2 \bar{n}$$

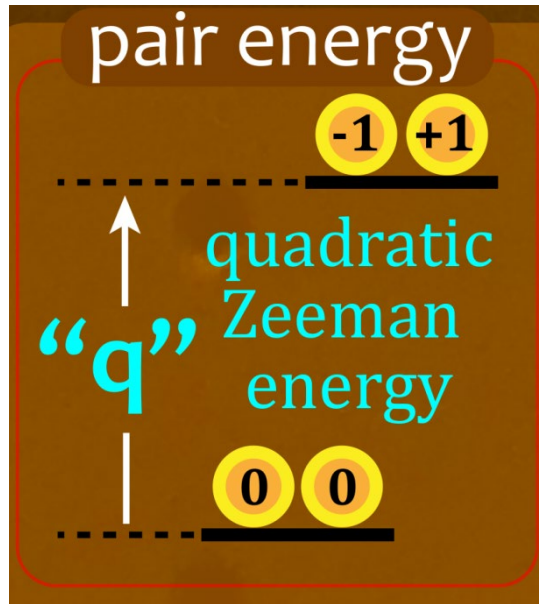
$$\dot{\rho}_0 = -(2/\hbar) \partial E / \partial \theta$$

$$\dot{\theta} = (2/\hbar) \partial E / \partial \rho_0$$

Trap release, Stern-Gerlach pulse, time-of-flight expansion, absorption imaging.



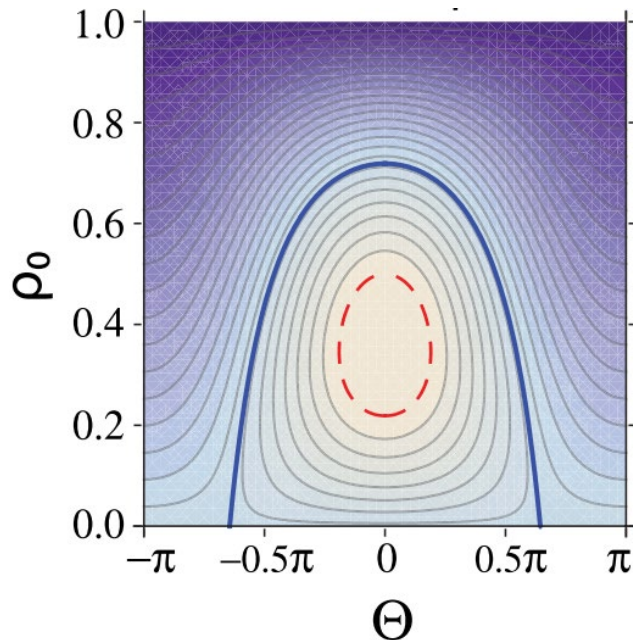
# Dynamical evolving in phase space



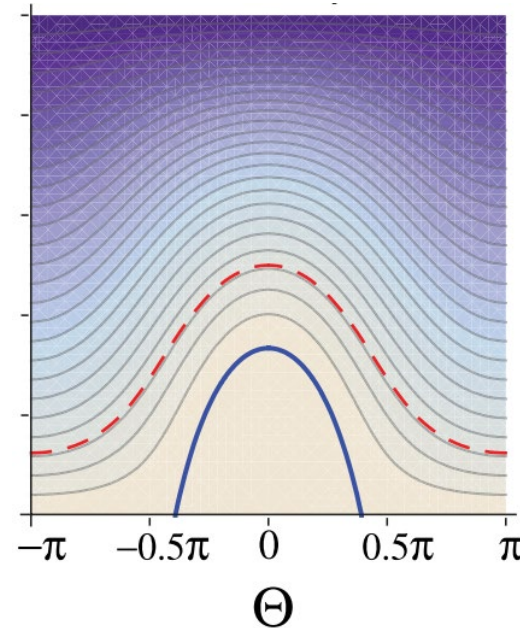
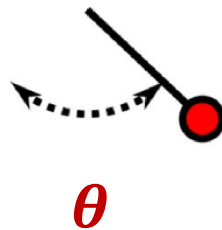
$$E = q(1 - \rho_0) + c\rho_0[(1 - \rho_0) + \sqrt{(1 - \rho_0)^2 - m^2 \cos\theta}]$$

$$\dot{\rho}_0 = -(2/\hbar)\partial E/\partial\theta$$

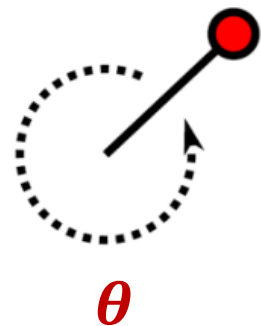
$$\dot{\theta} = (2/\hbar)\partial E/\partial\rho_0$$



$B = 26 \mu\text{T}$

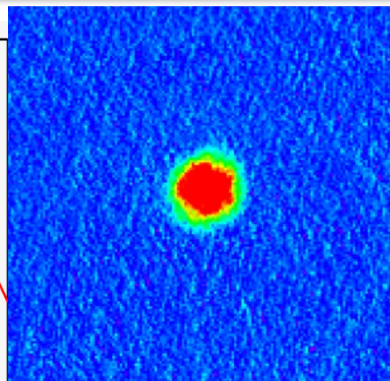
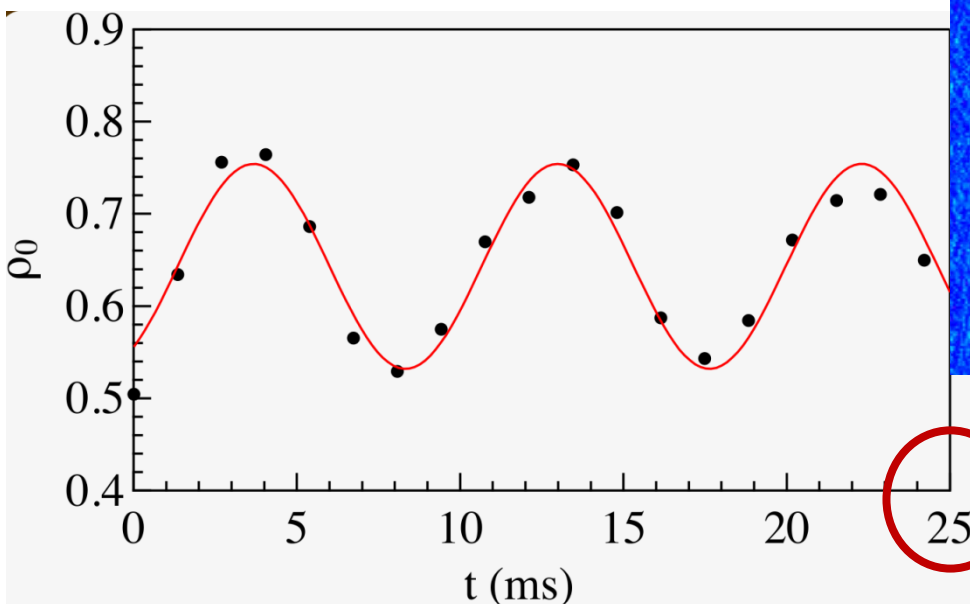


$B = 40 \mu\text{T}$



# Density-dependent dynamics

BEC:

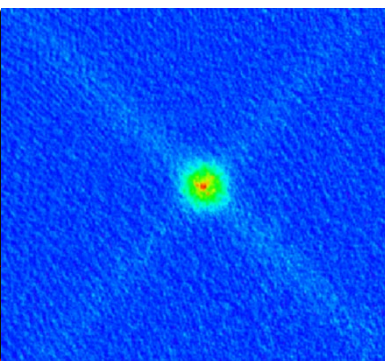
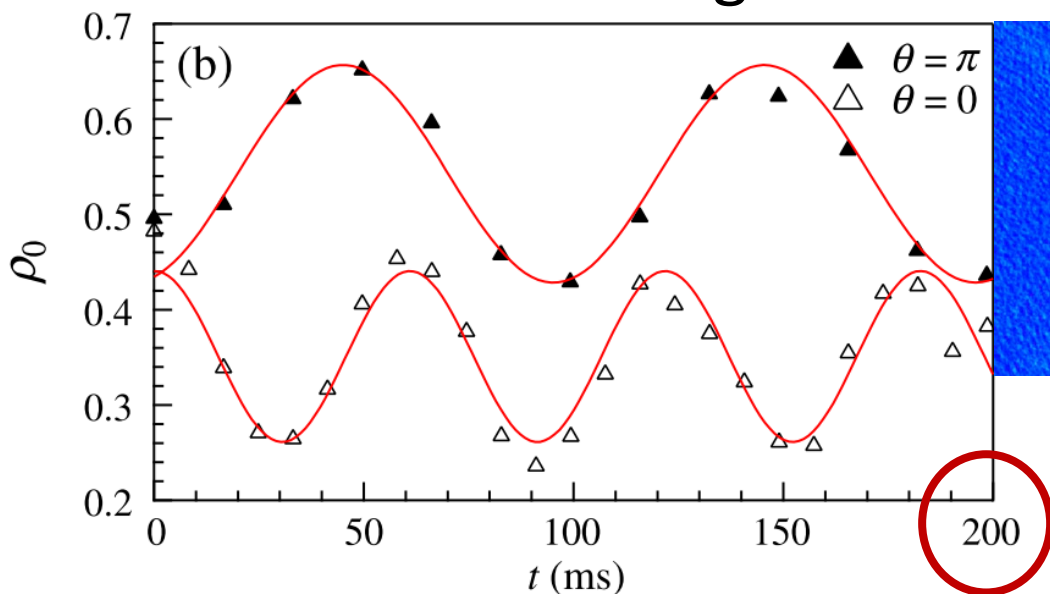


Particle density in BEC is roughly 10 times higher than in thermal gas.

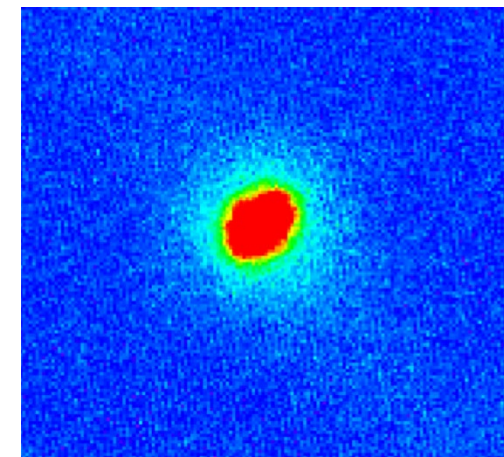
$$c = c_2 \bar{n}$$

$$E = q(1 - \rho_0) + c\rho_0[(1 - \rho_0) + \sqrt{(1 - \rho_0)^2 - m^2 \cos\theta}]$$

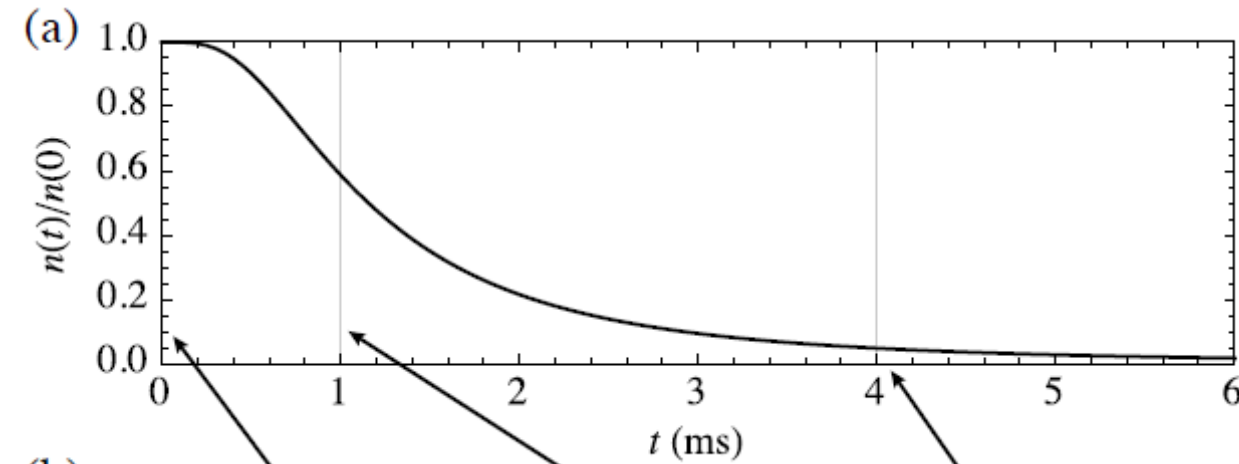
Thermal gas:



BEC/thermal mixture?



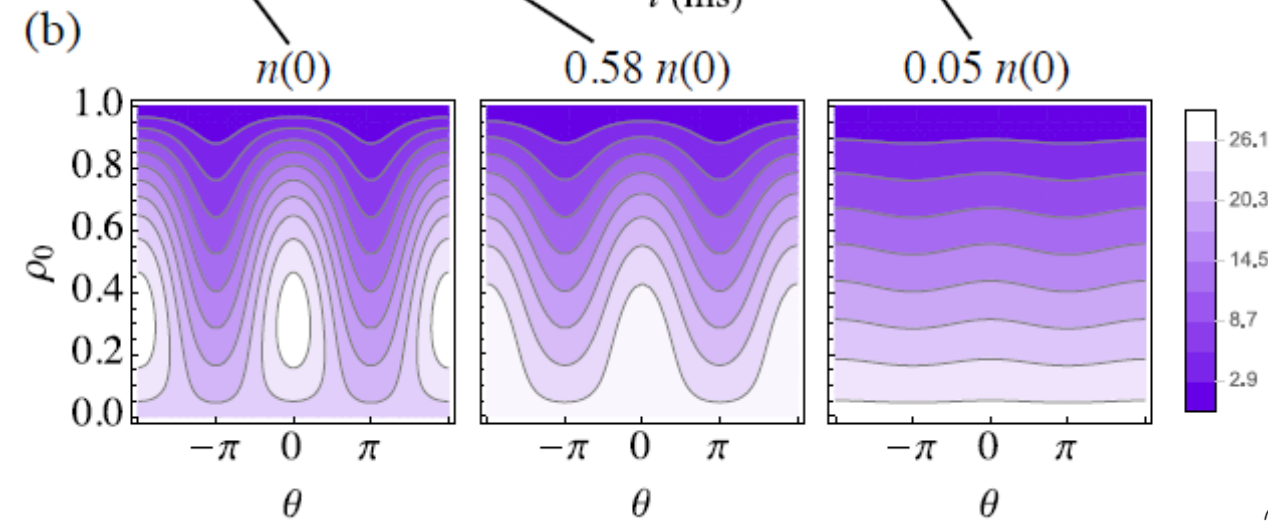
# Trap release, density change during time-of-flight



**Key to population oscillation freezing:  $q \gg c$**

$$\dot{\rho}_0 = -(2/\hbar) \partial E / \partial \theta$$

$$\dot{\theta} = (2/\hbar) \partial E / \partial \rho_0$$



$$\theta = \theta_+ + \theta_- - 2\theta_0$$

$$m = \rho_+ - \rho_-$$

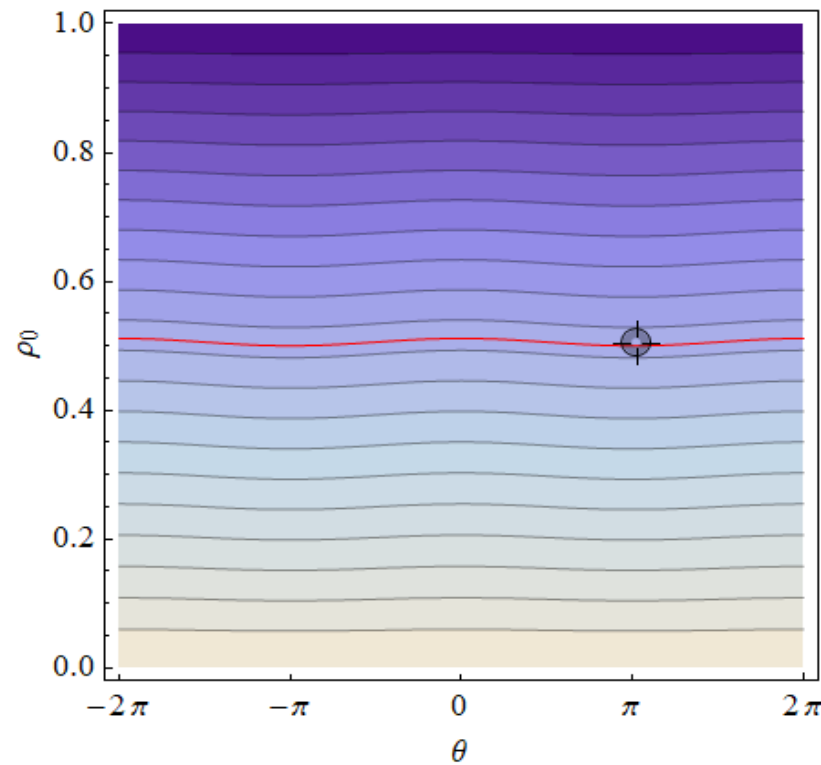
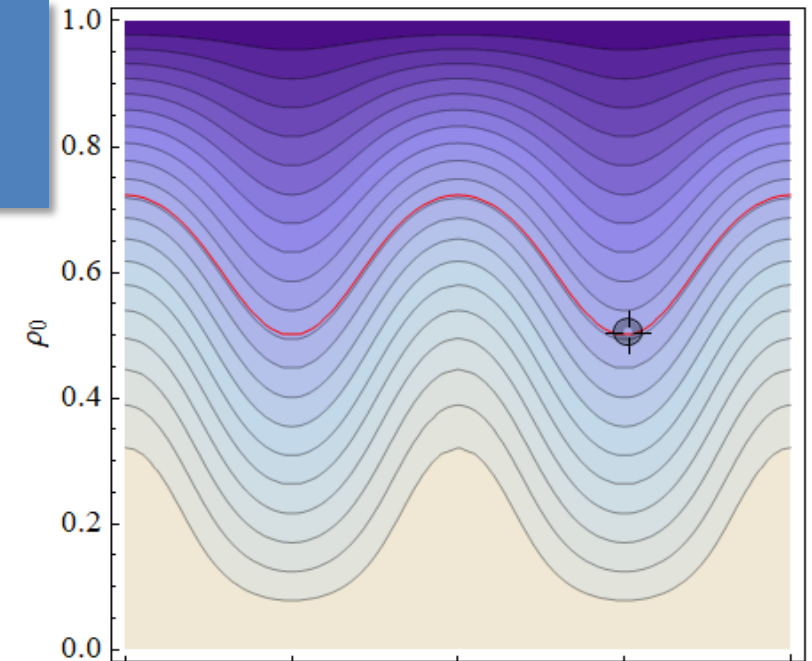
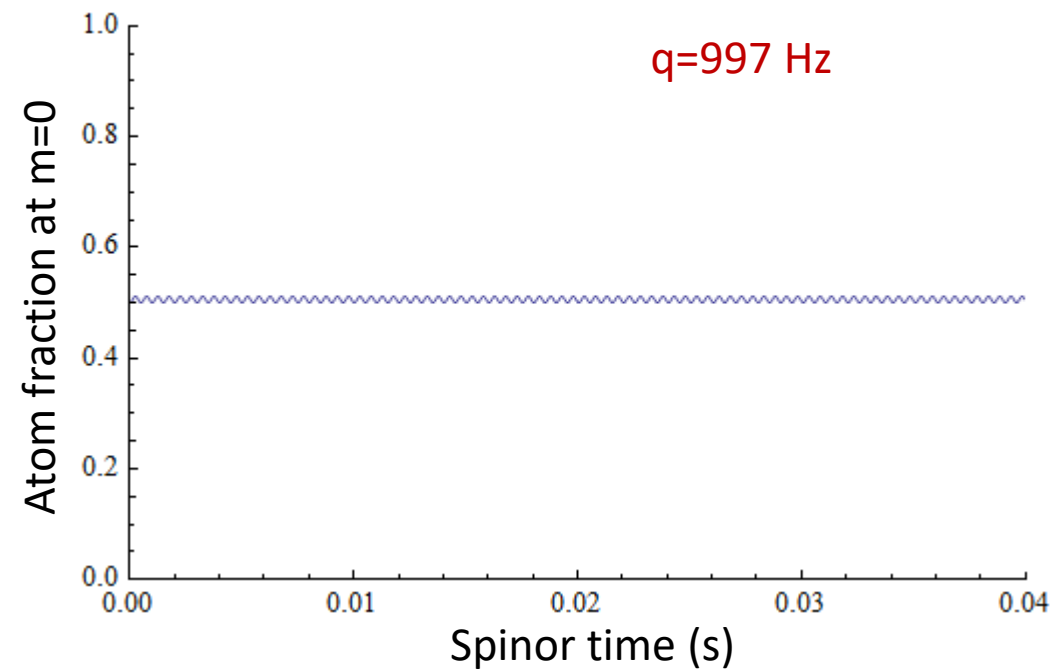
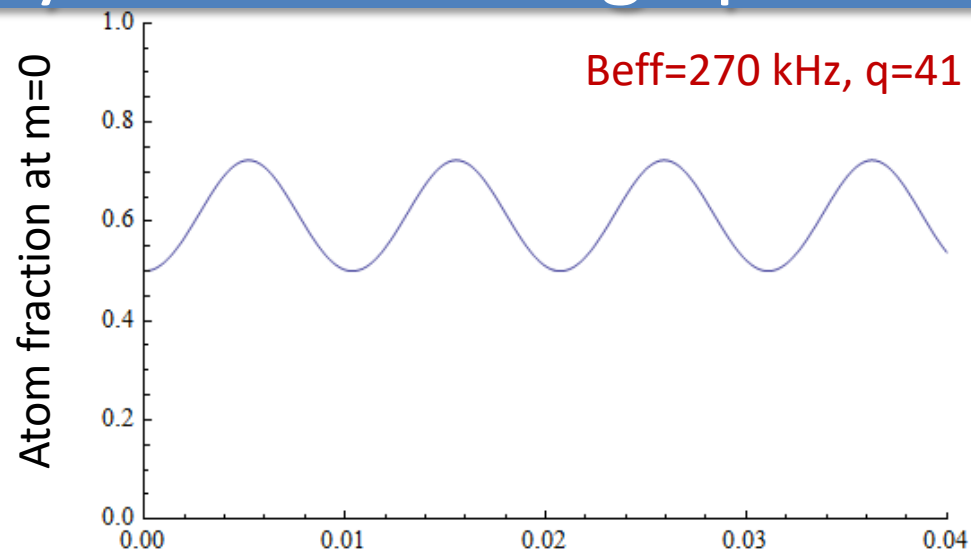
External term

Collisional term

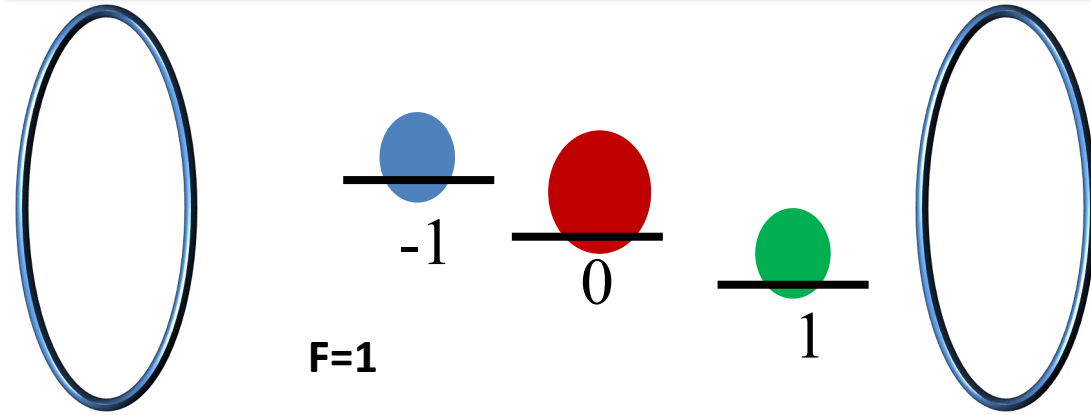
$$E = q(1 - \rho_0) + c\rho_0 \left[ (1 - \rho_0) + \sqrt{(1 - \rho_0)^2 - m^2 \cos\theta} \right]$$

$c = c_2 \bar{n}$

# Simulation population dynamics freezing: $q \gg c$

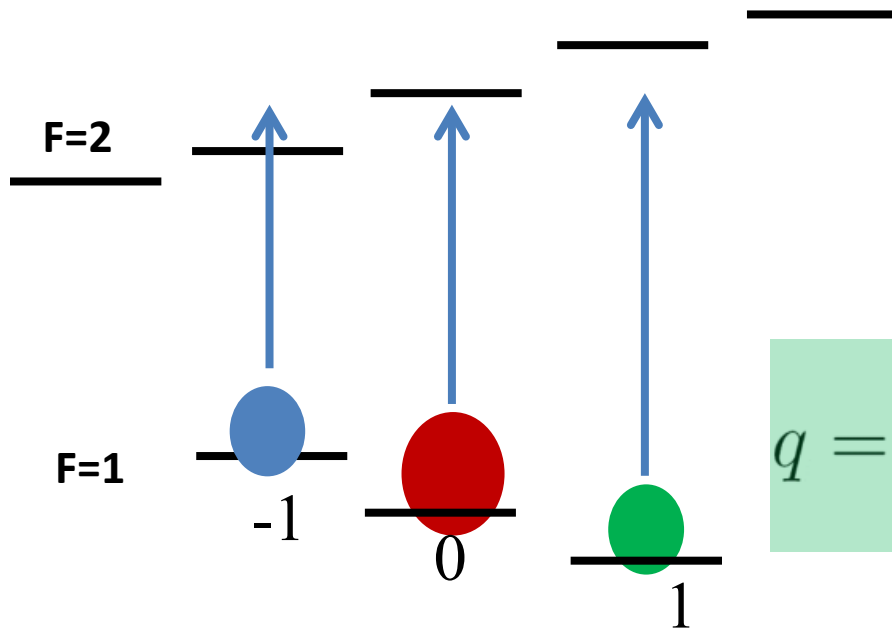


# Magnetic field vs microwave dressing: large $q$



Linear order is cancelled,  
Quadratic Zeeman energy is left.

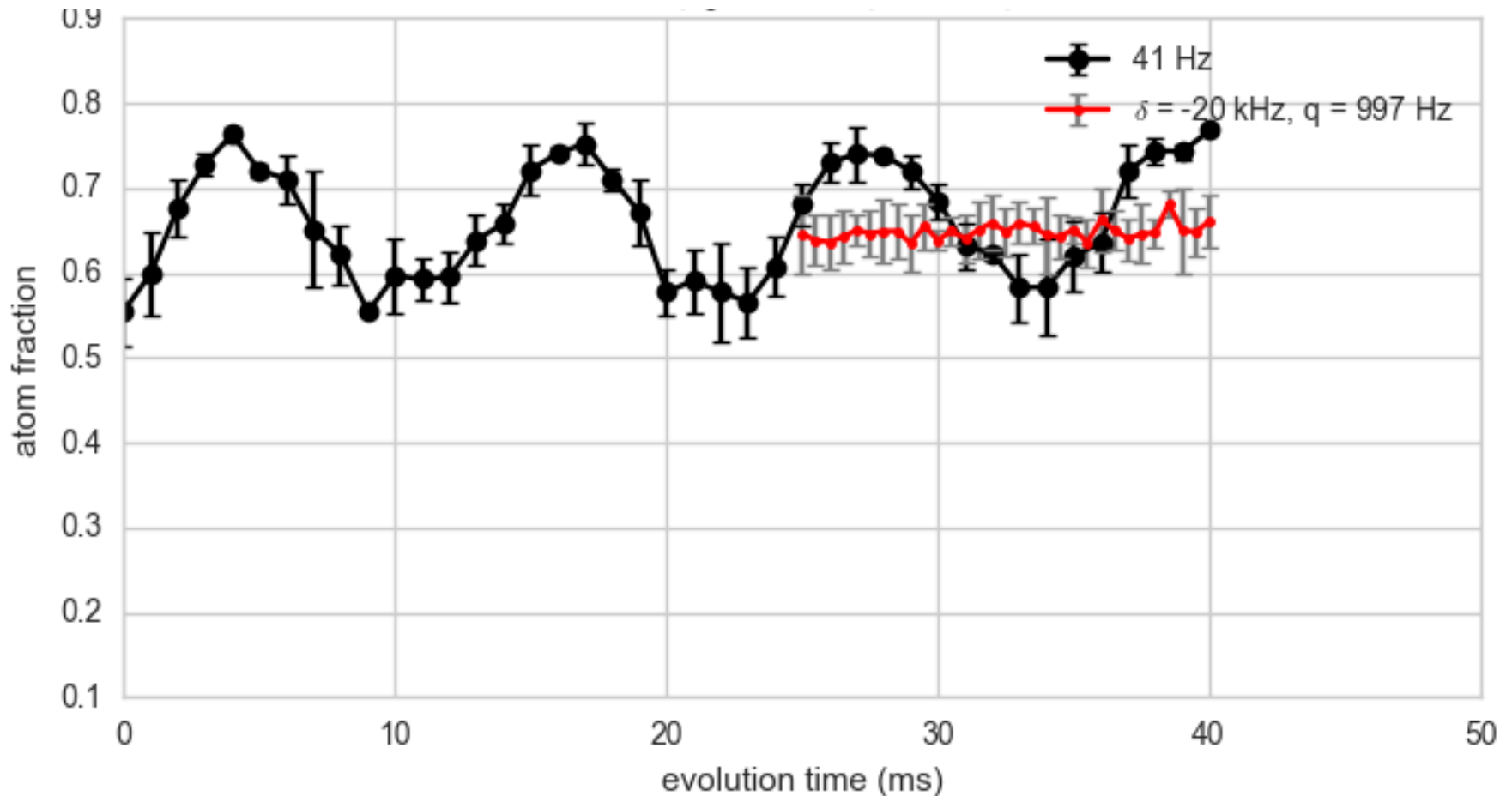
$$q = h (277 \text{ Hz/G}^2) B^2$$



$$q = -\hbar \frac{\Omega^2}{\Delta_\mu}$$

MW dressing:  
Fast switch on/off  
Flexible direction +/-

# Freezing the spinor dynamics: experiment



The freezing/evolution time, in principle, is limited by the optical trap lifetime.  
Interrogate phase running situation, state-mixing atom loss.



# Conclusion

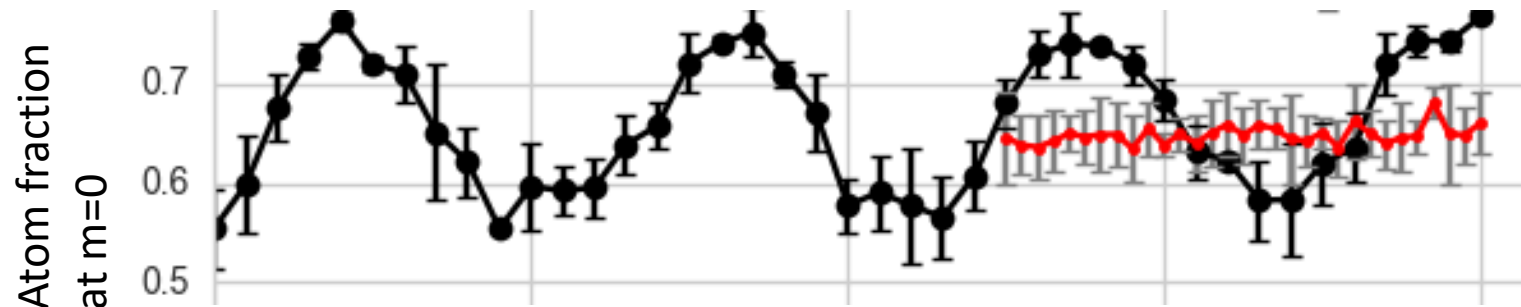
- Analyze density-dependent spinor dynamics
- Freeze the population dynamics while the phase running gets faster via  $q \gg c$
- Experimentally demonstrate the freezing of the population dynamics via microwave dressing

External term

Collisional term

$$E = q(1 - \rho_0) + c\rho_0[(1 - \rho_0) + \sqrt{(1 - \rho_0)^2 - m^2 \cos\theta}]$$

$c = c_2 \bar{n}$



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*Thank you!*

